

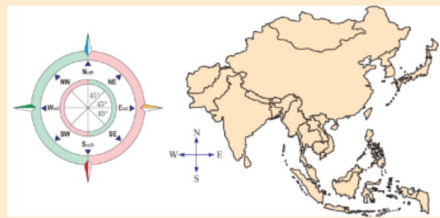
Welcome Back MYP Math 9!

Reflect on last night's exercises.

	Assignment Effort Grade (Circle One)	Comments (What was interesting or challenging?)
Monday Date: <u>11/20</u> Topic: <u>13D Solving for angles</u>	0 1 2	
Tuesday Date: <u>11/21</u> Topic: <u>13E: Problem solving</u>	0 1 2	
Wednesday Date: _____ Topic: _____	0 1 2	
Thursday Date: _____ Topic: _____	0 1 2	
Friday Date: _____ Topic: _____	0 1 2	

Class Plan

1. Warm-up
2. Bearings
3. Joke Break
4. Practice



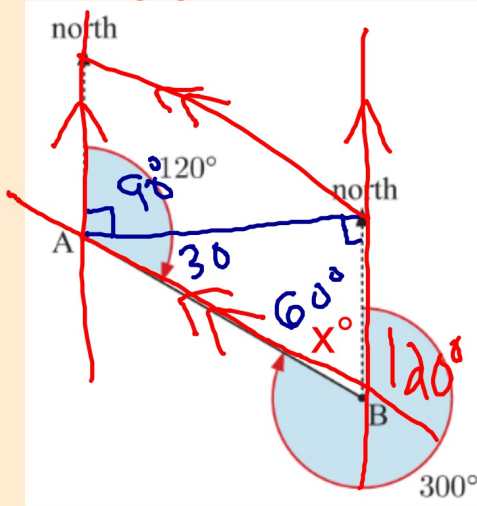
13F

BEARINGS

Warm-up:

Solve for the unknown angle measure.

Justify your answer.



$$\text{Quad sum} = 360^\circ$$

$$\text{Circle: } 360^\circ$$

$$x^\circ = 60^\circ$$

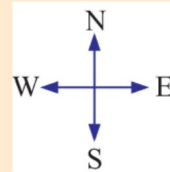
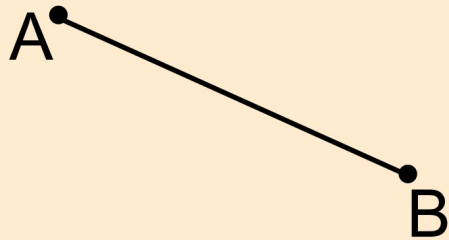
$$\Delta \text{ Sum} = 180^\circ$$

CA are \cong , from
parallel

$$N \parallel N$$

Introduction:

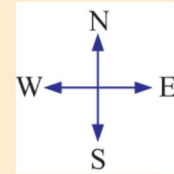
How can I measure direction between two points using degrees?



F

BEARINGS

Compass Bearings

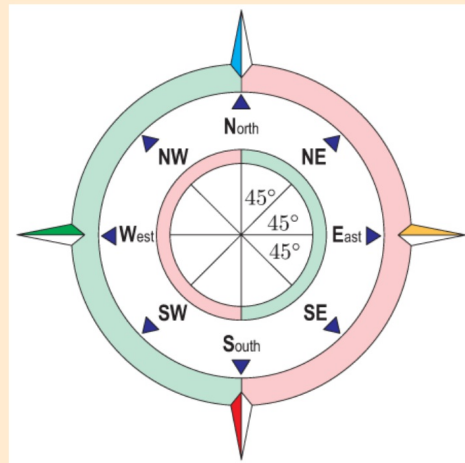


Cardinal:

N, S, E, W.

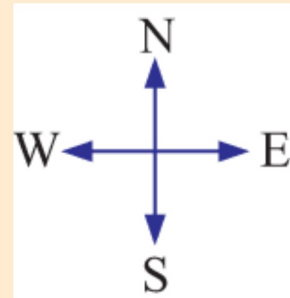
Ordinal:

NE, SE, NW, SW



F Recall previous knowledge... **BEARINGS**

What do you think a
true bearing is?

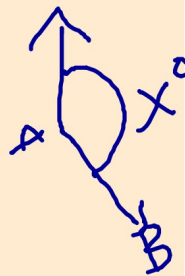
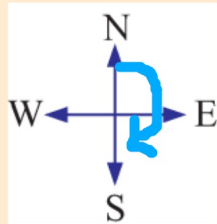


True Bearing

(aka true north direction)

*Clockwise measure of an angle.

*Starting position is always north going right.



A true bearing must be from 0° to 360° .



F True Bearing

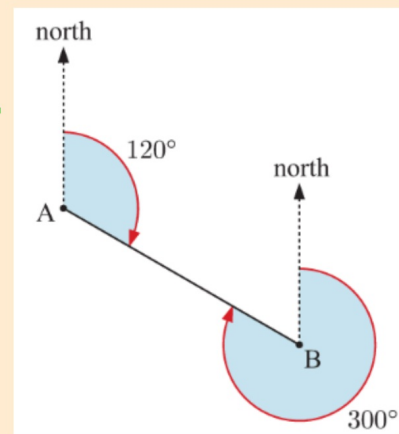
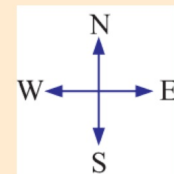
BEARINGS

Important notes:

- A true bearing - 3 digits
- Example: 070°, not 70°.
- Bearings of:

to A from B \neq *to* B from A.

Why?



F True Bearing

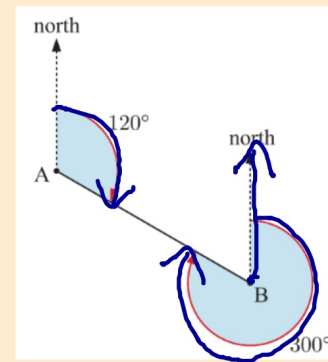
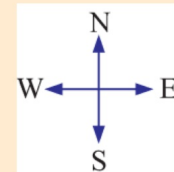
BEARINGS

Important notes:

A from B \neq **B from A**.

-Example: Right diagram.

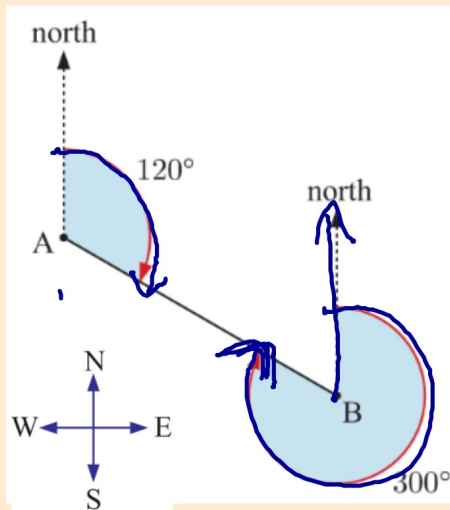
-Bearing of "A from B"
(aka **to A from B**), and
bearing of B from A,
always differ by 180° .



F True Bearing

BEARINGS

Example: Find the bearings.



1) to B from A
 120°

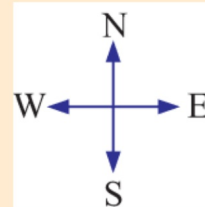
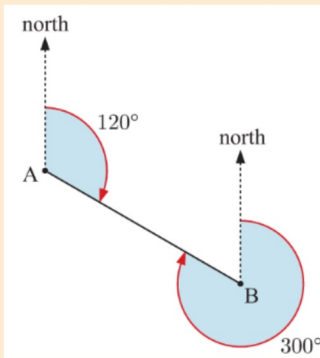
2) to A from B
 300°

$$300 - 120 = 180^\circ$$

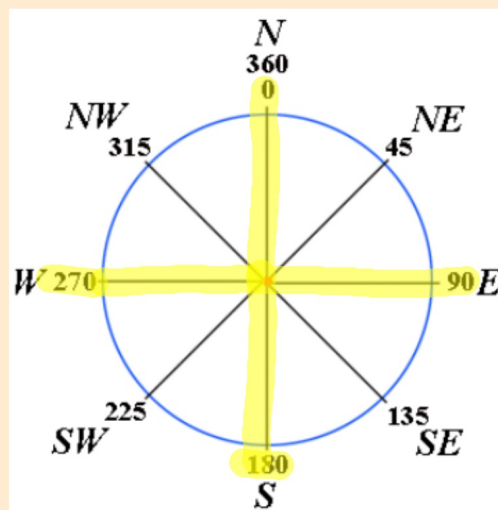
Face North, Turn Clockwise

Imagine you are standing at point A, facing north. You turn **clockwise** through an angle until you face B. The **bearing of B from A** is the angle through which you have turned.

To find the **bearing of A from B**, we place ourselves at point B, face north, then turn clockwise until we face A.



Degrees of Rotation

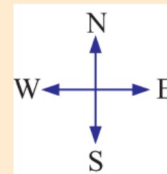
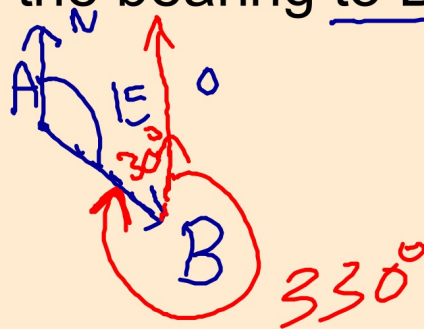


F True Bearing

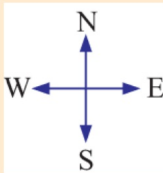
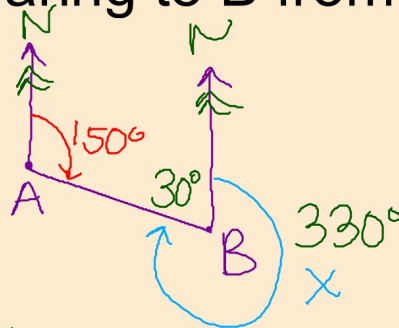
BEARINGS

Example 1: Drawing bearings

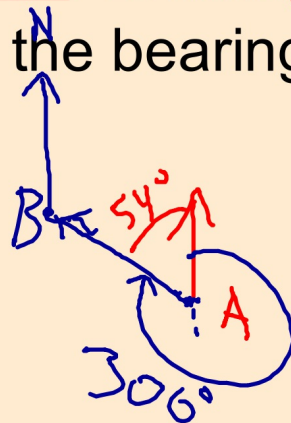
1) Draw the bearing to B from A: 150°



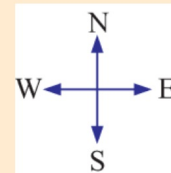
2) Find the bearing to A from B.
 330°

F**True Bearing****BEARINGS****Example 1: Drawing bearings**1) Draw the bearing to B from A: 150° 

The bearing of A
from B is 330°
(if B from A is 150°)

F**True Bearing****BEARINGS****Example 2: Drawing bearings**1) Draw the bearing to B from A: 306° 

$$360 - 306 = 54$$



2) Find the bearing to A from B.

$$180 - 54 = 126^\circ$$

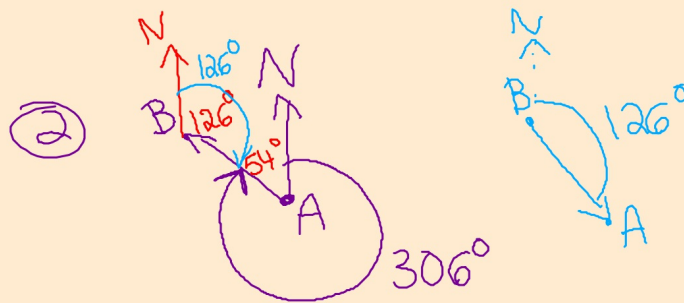
$$\begin{array}{r} 306 \\ - 180 \\ \hline \end{array}$$

$$126^\circ$$

F True Bearing

BEARINGS

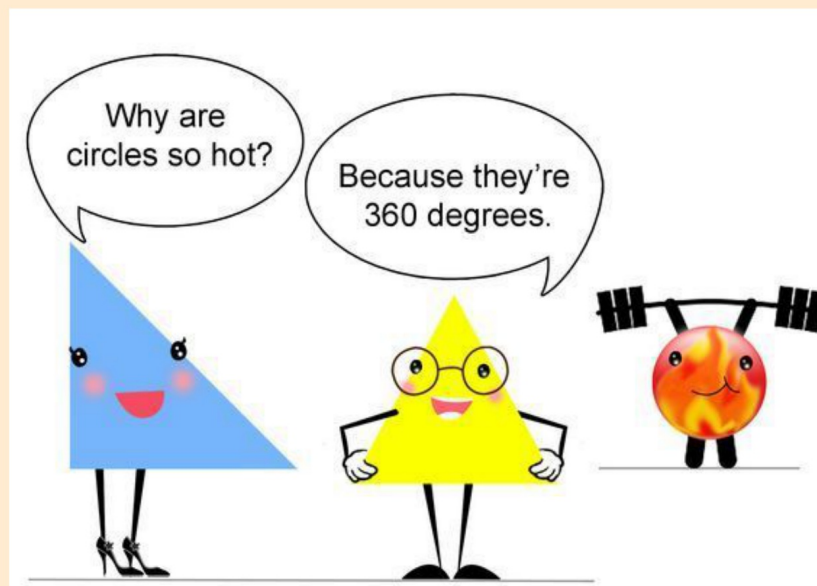
1) Draw the bearing to B from A: 306°



2) Find the bearing to A from B.

126°

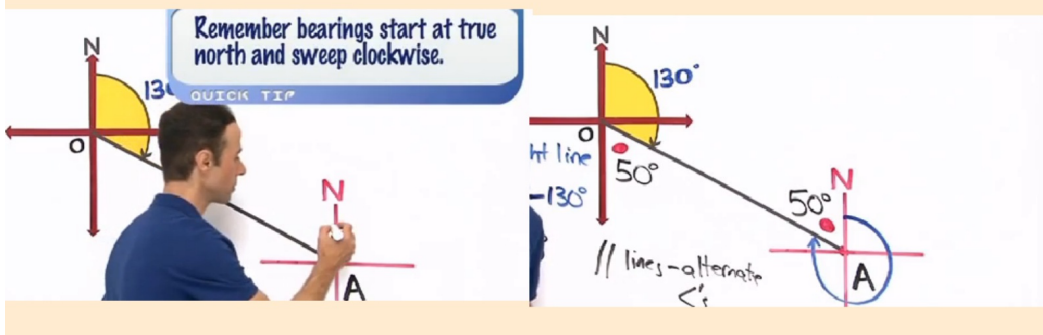
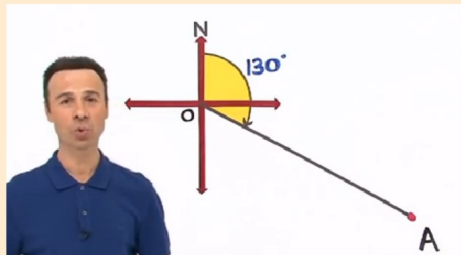
Joke Break!



F Video Resources for Bearings **BEARINGS**

Example of drawing and finding a bearing. (7+ min)

<https://www.youtube.com/watch?v=mMrf1Wn6-XA>

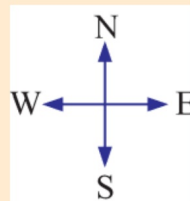
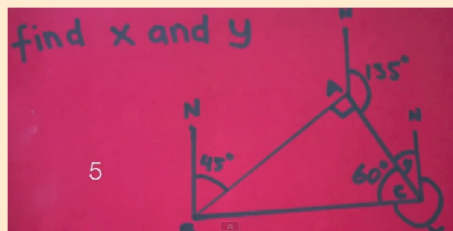


F Video Resources for Bearings **BEARINGS**

Bearings: Tutorial and Explanation (2+ mins)

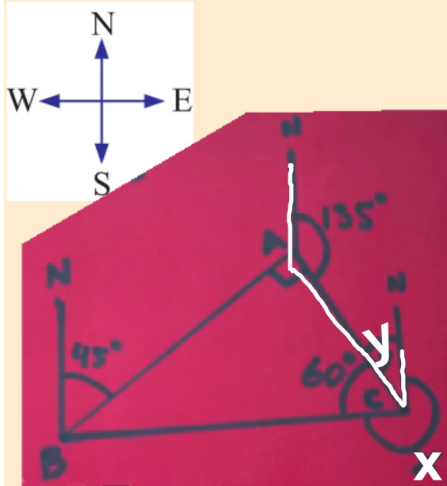
<https://www.youtube.com/watch?v=D7zL3botUG0>

***Pause at 2:01 to practice!**



F

Video Resources for Bearings

BEARINGS

$$x + 135^\circ = 180^\circ$$

$$x = 45^\circ$$

$$x = 360^\circ - 60^\circ - 45^\circ$$

$$x = 255^\circ$$

F

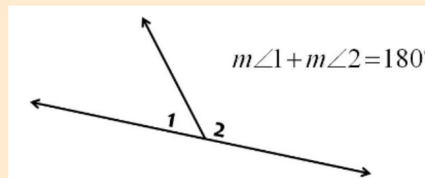
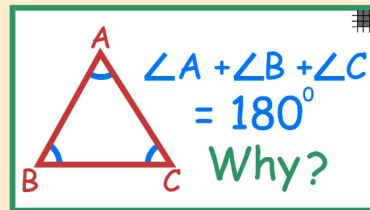
Geometric Relationships:

BEARINGS

Used to calculate bearings

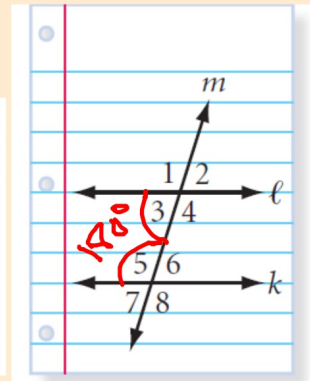
<p>Corresponding Angles</p>	<p>Examples:</p> <ul style="list-style-type: none"> $\angle 1$ and $\angle 5$ $\angle 2$ and $\angle 6$ $\angle 3$ and $\angle 7$ $\angle 4$ and $\angle 8$ 	<p>Examples:</p> <ul style="list-style-type: none"> $\angle 3$ and $\angle 6$ $\angle 4$ and $\angle 5$ 	<p>Alternate Interior Angles</p>
Congruent		Congruent	
<p>Consecutive Interior Angles</p>	<p>Examples:</p> <ul style="list-style-type: none"> $\angle 3$ and $\angle 5$ $\angle 4$ and $\angle 6$ 	<p>Examples:</p> <ul style="list-style-type: none"> $\angle 1$ and $\angle 8$ $\angle 2$ and $\angle 7$ 	<p>Alternate Exterior Angles</p>
Supplementary		Congruent	
<p>Vertical Angles</p>	<p>Examples:</p> <ul style="list-style-type: none"> $\angle 1$ and $\angle 4$ $\angle 2$ and $\angle 3$ $\angle 5$ and $\angle 8$ $\angle 6$ and $\angle 7$ 	<p>Examples:</p> <ul style="list-style-type: none"> $\angle 1$ and $\angle 2$ $\angle 2$ and $\angle 4$ $\angle 3$ and $\angle 4$ $\angle 3$ and $\angle 1$ $\angle 5$ and $\angle 6$ $\angle 6$ and $\angle 8$ $\angle 8$ and $\angle 7$ $\angle 7$ and $\angle 5$ 	<p>Linear Pair Angles</p>
Congruent		Supplementary	

Supplementary - add to 180 degrees



Which Angles Are Congruent?

Place a piece of patty paper over the set of angles 1, 2, 3, and 4. Copy the two intersecting lines m and ℓ and the four angles onto the patty paper.



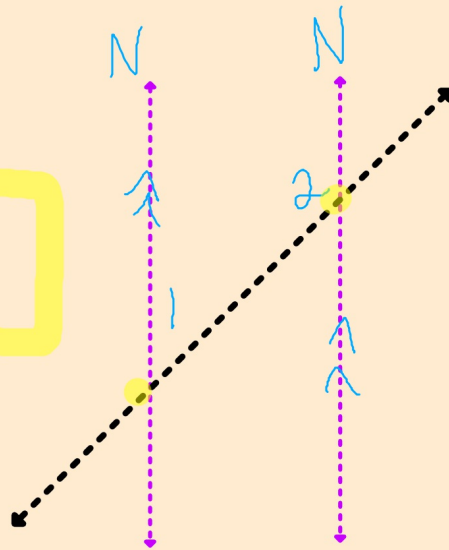
Corresponding Angles, Alternate Interior Angles, Alternate Exterior Angles are equal in measure.

Linear Pairs, Same Side Interior Angles, Same Side Exterior Angles add to 180 degrees.

F**BEARINGS**

angle 1 and 2...
sum of 180

$$m\angle 1 + m\angle 2 = 180^\circ$$



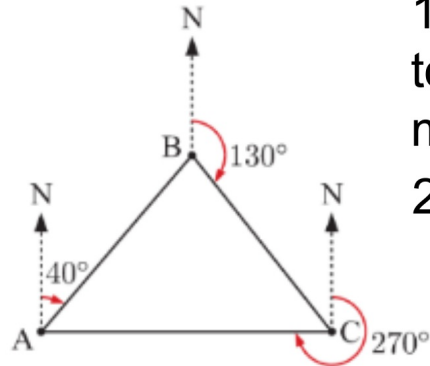
F**BEARINGS**

3 A, B, and C are checkpoints in an orienteering course. For each of the following, find the bearing of:

to B from A
to C from A

to C from B
to A from B

iii B from C
vi A from C.

a

1. Use triangle properties to fill in all missing angle measurements.

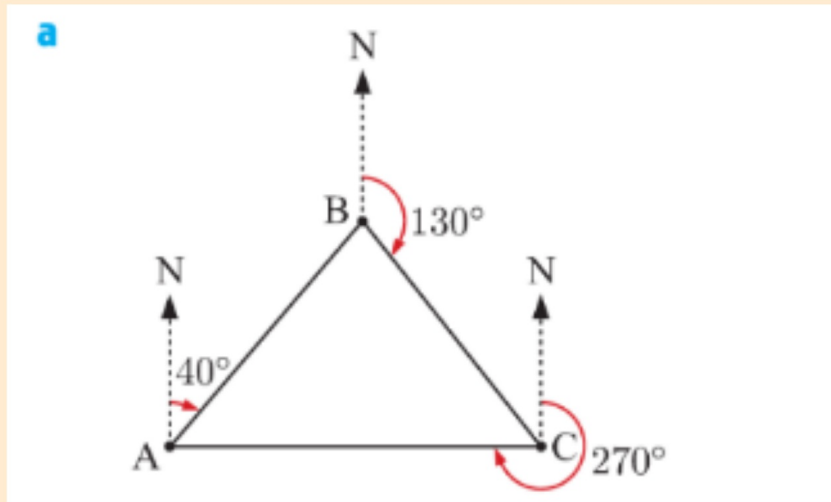
2. Solve for Bearings.

3 A, B, and C are checkpoints in an orienteering course. For each of the following, find the bearing of:

to B from A *040°*

to C from B
v A from B

to B from C
vi A from C.

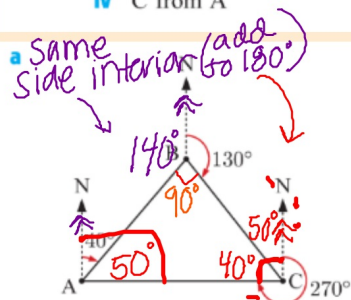


3 A, B, and C are checkpoints in an orienteering course. For each of the following, find the bearing of:

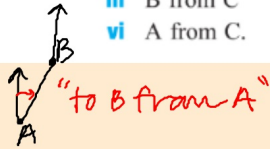
- i B from A
- iv C from A

- ii C from B
- v A from B

- iii B from C
- vi A from C.



- i. 040°
- ii. 130°
- iii. $270^\circ + 40^\circ = 310^\circ$
- iv. $40^\circ + 50^\circ = 90^\circ$
- v. $130^\circ + 90^\circ = 220^\circ$
- vi. 270°



$$360^\circ = 140^\circ + 130^\circ + x$$

$$360^\circ = 270^\circ + x$$

- 3 a i 040° ii 130° iii 310° iv 090° v 220°
vi 270°

Exercises....

Textbook:13F Page 266 (1 - 5)

1) I am building confidence.

(1 - 3)

2) I am somewhat confident.

(1 - 4)

3) I am extremely confident.

(1 - 5)

Exercises....

Textbook: 13F Page 265 (1 - 4, 5)

EXERCISE 13F

1 Draw diagrams to represent bearings from O of:

- a 055° b 140° c 330° d 255°

2 Find the bearing of Q from P if the bearing of P from Q is:

- a 124° b 068° c 244° d 321°

3 A, B, and C are checkpoints in an orienteering course. For each of the following, find the bearing of:

i B from A

ii C from B

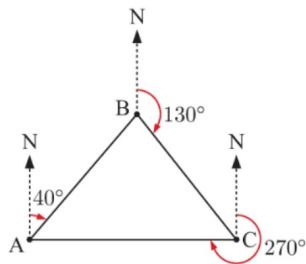
iii B from C

iv C from A

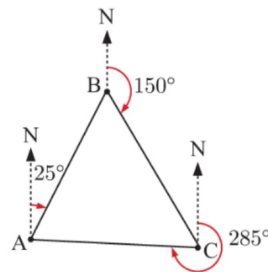
v A from B

vi A from C.

a



b



F Exercises

BEARINGS

4 For each of the following, find the bearing of:

i B from A

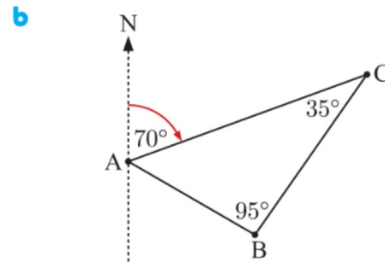
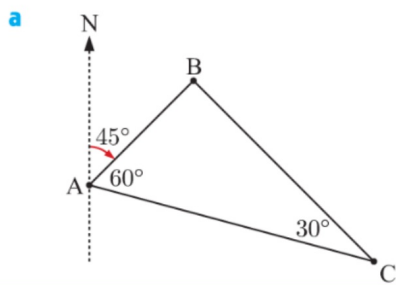
ii A from B

iii C from A

iv A from C

v C from B

vi B from C.



5 The centre of a large city is a square oriented as shown. State the compass bearing and true bearing of:

a B from A

b C from A

c D from A

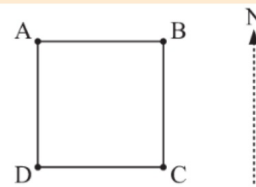
d A from B

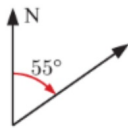
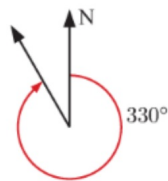
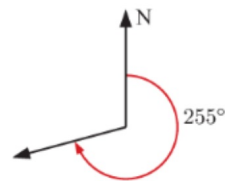
e D from B

f A from C

g B from C

h B from D.



F**Solutions to exercises****BEARINGS****EXERCISE 13F****1 a****b****c****d****2 a** 304° **b** 248° **c** 064° **d** 141° **3 a** **i** 040° **ii** 130° **iii** 310° **iv** 090° **v** 220°
vi 270° **b** **i** 025° **ii** 150° **iii** 330° **iv** 105° **v** 205°
vi 285°

F**Solutions to exercises****BEARINGS**

4 a **i** 045° **ii** 225° **iii** 105° **iv** 285° **v** 135°
vi 315°

b i 120° **ii** 300° **iii** 070° **iv** 250° **v** 035°
vi 215°

5 a east, 090° **b** southeast, 135° **c** south, 180°
d west, 270° **e** southwest, 225° **f** northwest, 315°
g north, 0° **h** northeast, 045°

6 a ≈ 2.24 km, 063° **b** ≈ 3.16 km, 162°
c ≈ 3.16 km, 072° **d** ≈ 4.47 km, 207°
e ≈ 3.61 km, 304°

7 236° **8 a** ≈ 55.0 m **b** ≈ 40.0 m

9 ≈ 14.3 km **10** 650 km