

## Welcome Back MYP Math 9!

	Assignment Effort Grade (Circle One)	Comments (What was interesting or challenging?)
<b>Monday</b> Date: <u>12/4</u> Topic: <u>No Homework - Quiz 3.2</u>	0 1 2	
<b>Tuesday</b> Date: _____ Topic: _____	0 1 2	
<b>Wednesday</b> Date: _____ Topic: _____	0 1 2	
<b>Thursday</b> Date: _____ Topic: _____	0 1 2	
<b>Friday</b> Date: _____ Topic: _____	0 1 2	

Warm-up:

Ms. Paulson walked her new dog Charlie from her home on a bearing of  $125^\circ$  for 2 km. Charlie stopped to sniff a fire hydrant. Then, she walked on a bearing of  $090^\circ$  from the hydrant to a dog park for 1 km.

**About how far east is she from her home?**



Suppost Charlie broke free from the hydrant and ran back home!  
What is the bearing from hydrant to Ms. Paulson's house?

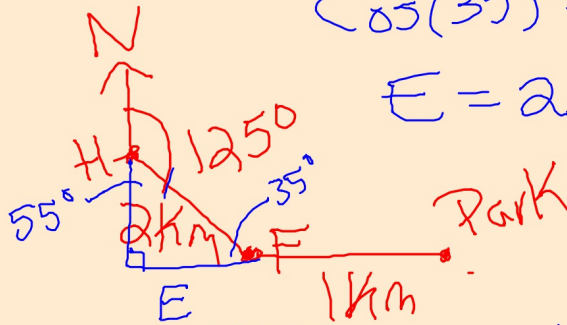
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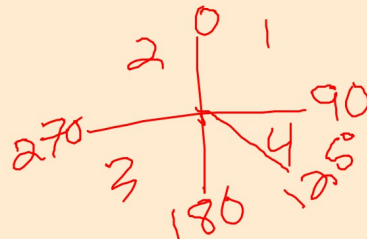
About how far east is she from her home?

$$\cos(35^\circ) = \frac{E}{2}$$

$$E = 2(\cos 35^\circ) \approx 1.638 \text{ km}$$



$$\text{East} \approx 2.64 \text{ km}$$

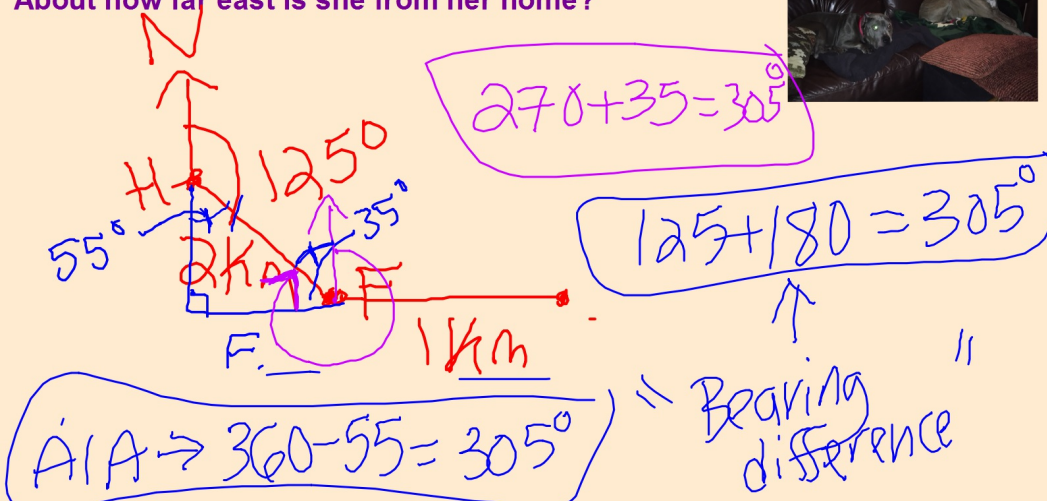


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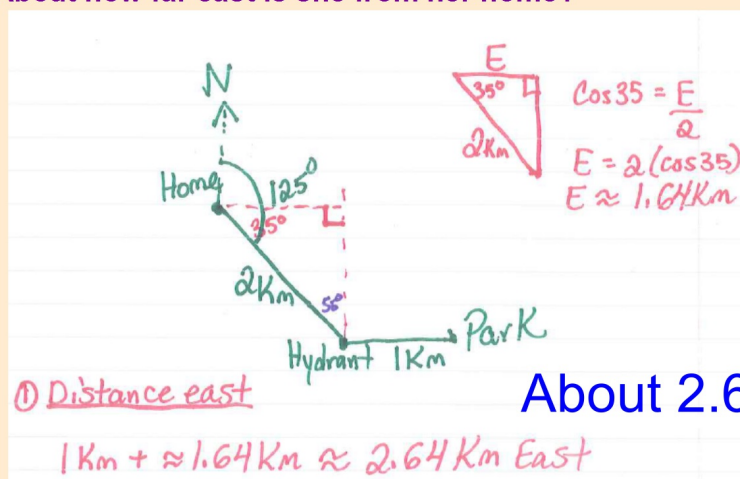


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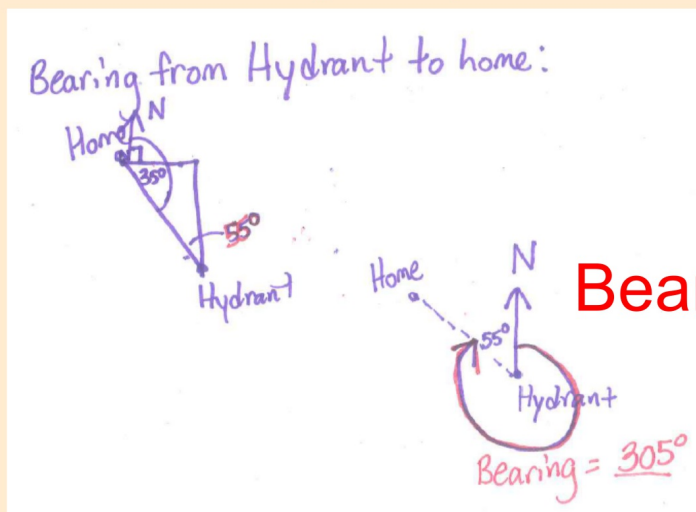
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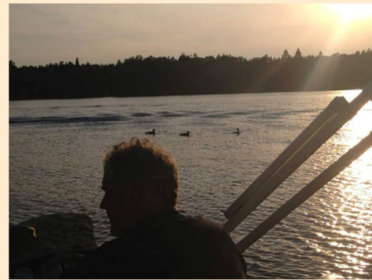


## Class Plan:

1. Warm-up

2. Application  
"Pontoon Ride"

3. Using Trigonometry ...  
"Create Your Own Real  
Life Application"





**DO:**

### Pontoon Ride

On a sunny day, Ms. Berg decided go on a pontoon ride. She left her dock and drove her pontoon to the calm side of the lake on a bearing of 156 degrees for 800 meters. She then cruised along the shoreline on a bearing of 180 degrees for another 800 meters until she anchored for the afternoon.

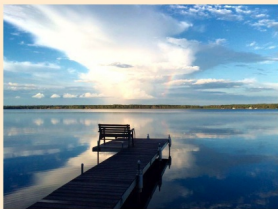
Diagram



Questions:

- 1) How far is Ms. Berg from her dock?
- 2) What is the bearing from the dock to where she ended?
- 3) Why are you able to use your methods of solving?
- 4) Is this a realistic method of solving?
- 5) Is your solution accurate?
- 6) Does your solution make sense in the real life context?

Hint: Isosceles Triangle,  
congruent base angles

Challenge! Law of Cosines?  
Attachment Online. Do Proof/ Investigation.



# "Create Your Own Application"

Due: Wednesday Dec. 6th

Criterion D: Real Life

Create Your Own Real World Application

**Task:**

1. Create a scenario that involves trigonometry and bearings. Include diagram of scenario.
2. Create questions involving your travels/your scenario... be creative!
  - a. Bearings, distance, and the Sine Rule (and/or right triangle trigonometry).
  - b. Reflection of methods used. *Are they realistic?*
  - c. Reflection of solution. *Is it accurate? Does it make sense in the real-life context?*
3. Create a key/solution to your problem

## *In short...*

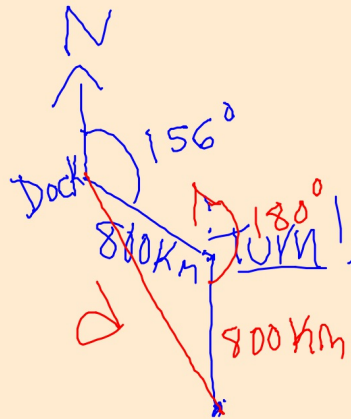
1. Create Application with triangle(s).
2. Write Questions.
3. Write Solutions to your questions!
4. Self - Assess work

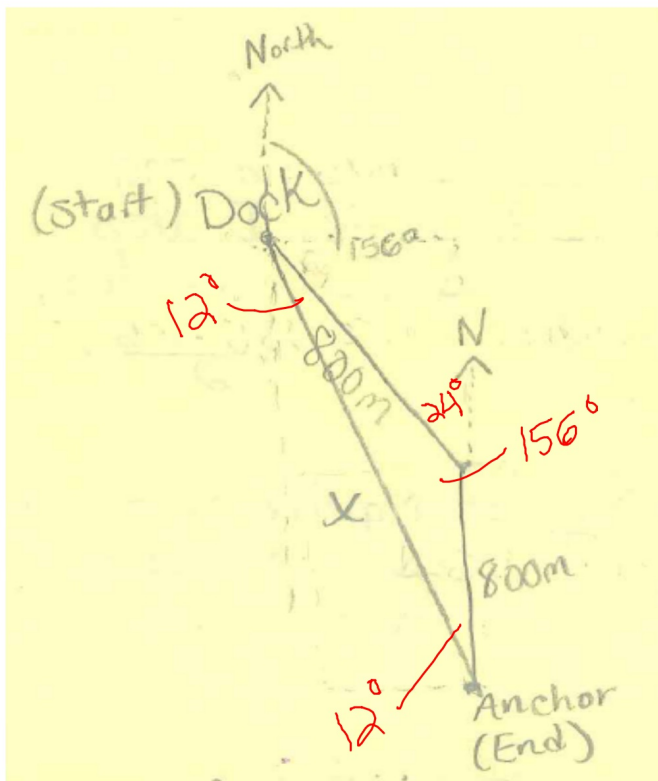
7	<ul style="list-style-type: none"> <li>i. identify the relevant elements of the authentic real-life situation</li> <li>ii. select appropriate mathematical strategies to model the authentic real-life situation</li> </ul>	
8	<ul style="list-style-type: none"> <li>iii. Apply the selected mathematical strategies to reach a correct solution to the authentic real-life situation</li> <li>iv. justify the degree of accuracy of the solution</li> <li>v. justify whether the solution makes sense in the context of the authentic real-life situation.</li> </ul>	<ul style="list-style-type: none"> <li>Math strategies include: <ul style="list-style-type: none"> <li>-Create an authentic scenario</li> <li>-Diagram Included</li> <li>-Write <b>questions</b> from scenario that require <b>at least</b> a bearing calculation, distance (using sine rule and/or right triangle trigonometric ratios).</li> </ul> </li> <li>A key (<i>solution</i>) is provided <b>without error</b>.</li> <li>Thorough explanation of why the method is valid and applicable to the situation.</li> <li>Thorough justification of whether your solution is realistic.</li> </ul>

### Pontoon Ride

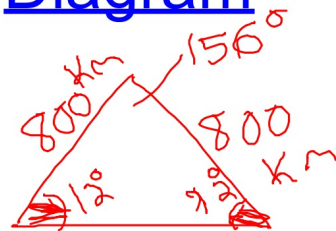
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Diagram

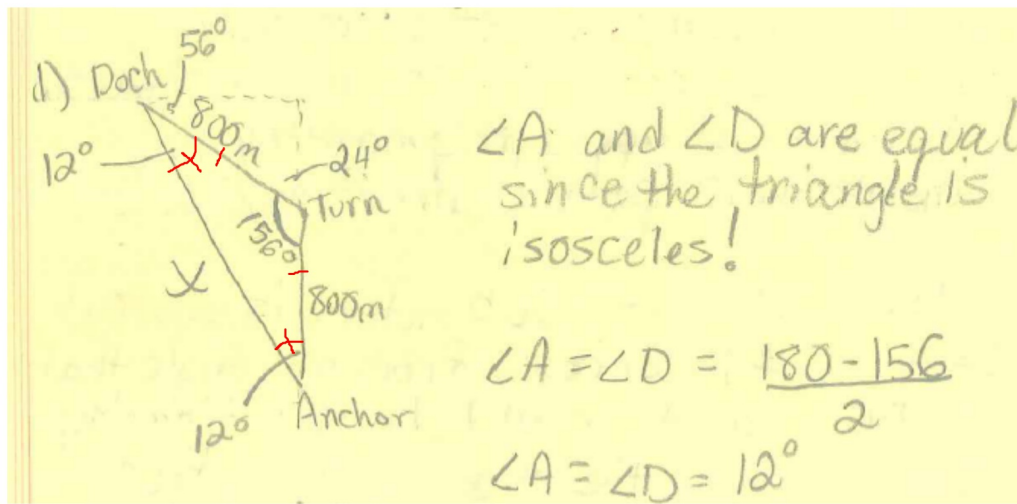




Extended Exemplar  
Diagram



Extended Exemplar Diagram with all angles in the triangle.



*Extended Exemplar*

How far is Ms. Berg from the dock?

## Solving Method: Sine Rule

Using Law of Sines

$$\textcircled{1} \quad \frac{\sin 12}{800} = \frac{\sin 156}{x}$$
$$x = \frac{800(\sin 156)}{\sin 12} \approx 1565 \text{ m}$$

Ms. Berg is about 1565 m from her dock.

Extended Exemplar How far is Ms. Berg from the dock?

### Solving Method: Cosine Rule

See Notes: Extended:25D Law of Cosine (12-4)

① Using Law of cosines

$$c^2 = a^2 + b^2 - 2ab \cos C$$

$$x^2 = 800^2 + 800^2 - 2(800)(800) \cos 156^\circ$$

$$x^2 = 640,000 + 640,000 - 1,280,000 \cos 156^\circ$$

$$x^2 = 1,280,000 - 1,280,000 \cos 156^\circ$$

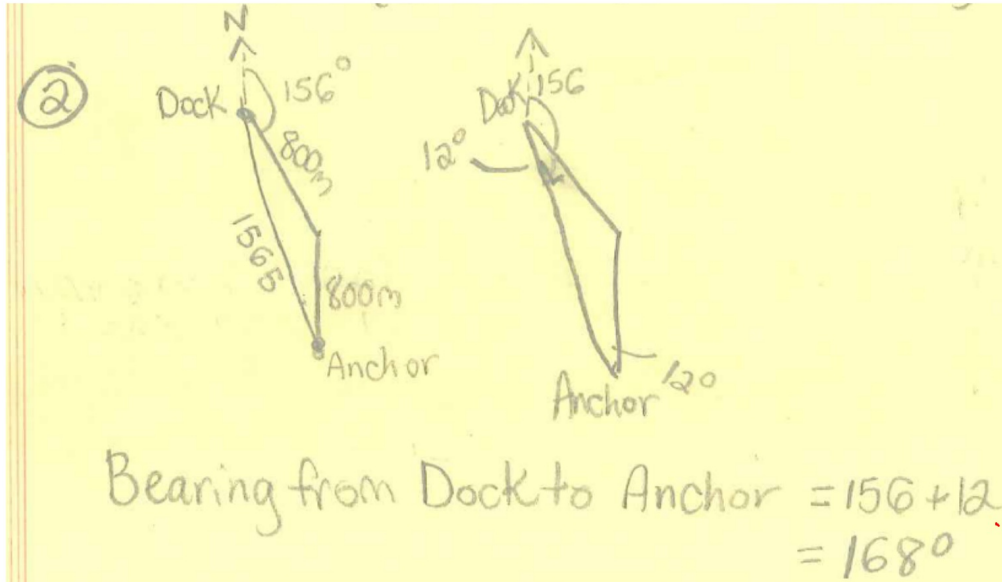
$$x = \sqrt{1,280,000 - 1,280,000 \cos 156^\circ}$$

$$x \approx 1565 \text{ m (Distance from the dock)}$$



Extended Exemplar

2) What is the bearing from the dock to the anchor?



Extended Exemplar

### 3) Why are the solving methods valid?

#### Finding distance

① Law of sines because I had an angle and opposite side in the triangle. I also used the fact that the  $\Delta$  was isosceles, so the 2 missing angles were  $\frac{180-156}{2}$ .

Law of cosines did not require me to find base angles ( $12^\circ$ ), I used the side-angle-side relationship with  $800\text{m}$ - $156^\circ$ - $800\text{m}$ .

*Extended Exemplar*

#### 4) Is the method of solving realistic?

Ⓐ This is a realistic method of solving with the given bearing and distances. Navigators apply trigonometry to ensure their path is direct and safe.

*Extended Exemplar*

5) Is the solution accurate?

⑤ The solution of 1565 meters is accurate because it is across from an angle that is  $156^\circ$ , so it should be significantly larger than the sides across from  $12^\circ$ . (800 m) The distance was also found using 2 methods, and rounded to the nearest meter.

*Extended Exemplar*

6) Does the solution make sense in the real life context?

⑥ The solution of 1565 meters is realistic for a small lake. (At least smaller than Superior) Lake Superior is about (heavily rounded) 1500 km around! This is 1,500,000 meters!

Additionally: 800 m is **about** half a mile, so a one mile (about 1600 m) trip on a boat is realistic.

## Exercises...

- Begin Creating ...

Criterion D: Create Your Own  
Application using Trigonometry

Your Application: Due Wednesday 12/6

Unit 3 Test: Friday 12/8